Competent Goalie Evaluation

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Introduction

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 - ► How

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 - ► Hard, lots of yelling

First, the bad news

Input Unblocked 5v5 and 5v4 shots, 2016-2018 regular seasons.

Testing Unblocked 5v5 and 5v4 shots, 2018-2019 regular season so far.

What performs better: assuming that previous save percentages predict future goal likelihoods, or assuming that all goalies are identical?

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► How right or wrong are you?

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Same story using only shots on goal, restricting to 5v5, both of those things, no matter.

Repent

Save percentage is completely useless.

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- ► All goalies average: 0.1837
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- ▶ With goalie and shooter ability estimates: 0.1830
 - About 1% better still.

How

What affects goal likelihood?

- Distance
- Geometry ("Impossible angles")
- Vision of all concerned (screens)
- Sneaky passing and skating
- Shooter quality
- Goalie quality
- "Special plays"
 - Breakaways
 - ▶ 2-on-1s
 - Rebounds

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- Sneaky passing and skating
 - 5v4 as partial proxy
- Shooter quality
- Goalie quality
- "Special plays"
 - Breakaways
 - 2-on-1s
 - "Rushes" as proxy
 - Rebounds
 - Or at least rebound shots

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- ► Attach electrodes to the skulls of fans to detect excitement
- ▶ ♥ Regression ♥

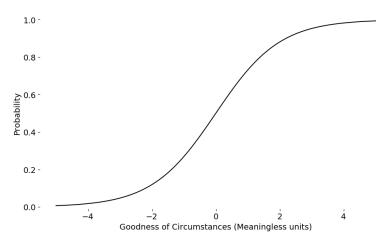
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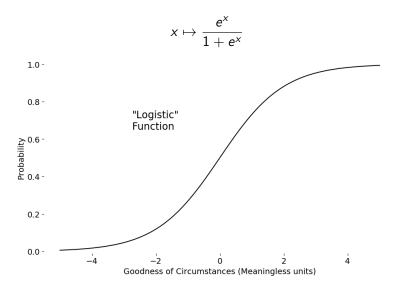
Not just any regression: logistic ridge regression

Structure

If you pile up enough favourable things, a goal becomes likely.



Structure



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So x for a shot is the logarithm of the odds of that shot becoming a goal: "log-odds".

Logistic Regression

Trying to fit a regression:

- ► Targetting probabilities: Constrained to [0,1], awkward
- ► Targetting log-odds: can be any real number, smooth.

Included factors

- Shooter ability (fixed)
- Goalie ability (fixed)
- Distance to the net, normalized to 89 feet (the blue line).
 - Closer than 10 feet counts as 10 feet
- ▶ Visible net, normalized to 6 feet.
- Shot type
 - ► Slap / Wrist-Snap / Tip-Deflection / Wraparound / Backhand
- Rebound shot indicator (within 3s)
- Rush shot indicator (within 4s)
- Power-play indicator (5v4)
- Leading / Trailing
- Constant

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$$\mathcal{L} = \sum_{ ext{goals}} \log p(s, eta) + \sum_{ ext{not goals}} \log (1 - p(s, eta))$$

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- Solution:
 - Tell it.

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Starting from this prior, every shot updates our assumptions about the values of the factors involved, including the players.

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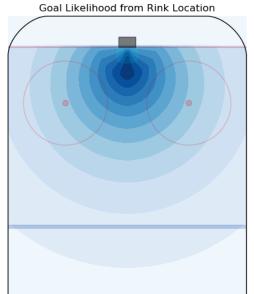
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- ▶ We can choose how much zero-bias we mix in, and where.
- For every parameter, we get a "posterior" distribution, with its own mean and standard deviation, reflecting our new certainty about the impact of each factor.

Results!!

Input data: Every unblocked 5v5 and 5v4 shot in the 730 days up to and including January 1st, 2019.

Geometry

Unblocked, 5v5, non-rush, non-rebound wrist shots:

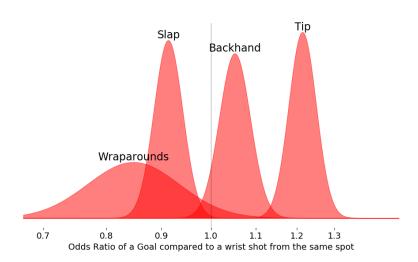


Historical

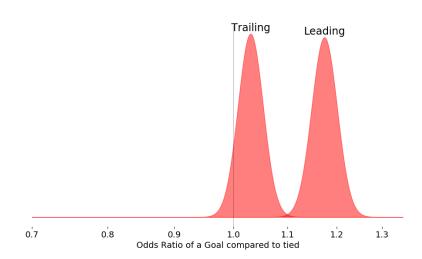
All unblocked shots, 5v5:

5v5 Goals per Unblocked Shot, 2007-2017

Shot Types



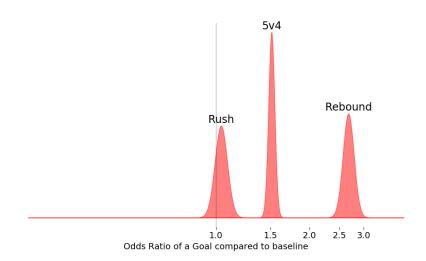
Score Effects

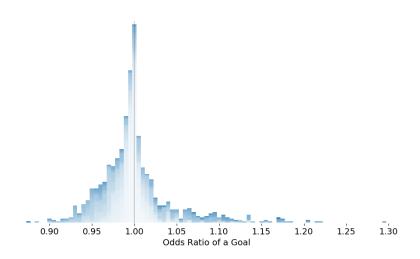


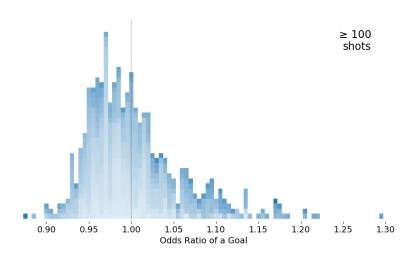
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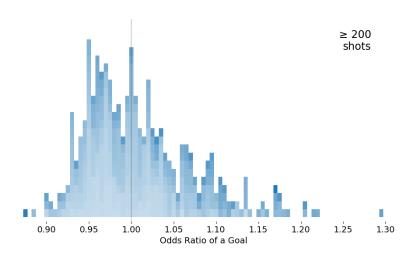
Leading teams take better shots, but trailing teams take more. Net effect favours trailing teams.

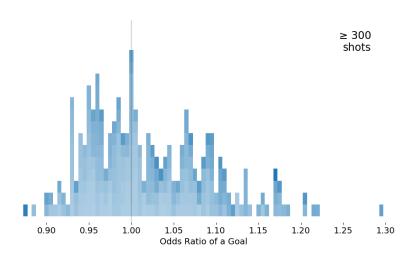
Other Factors

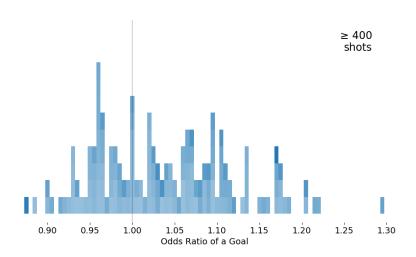


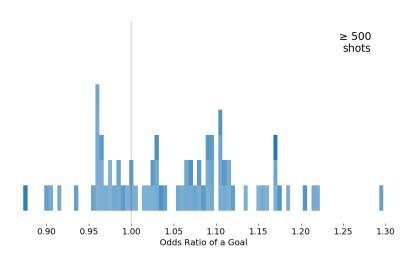


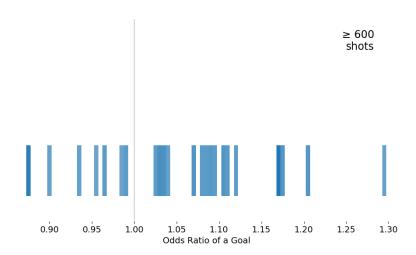




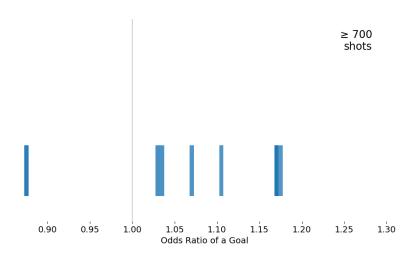




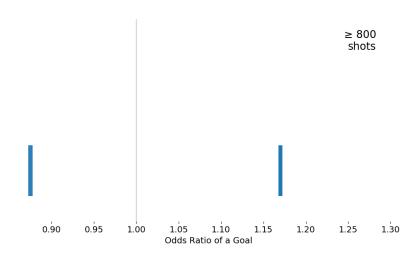




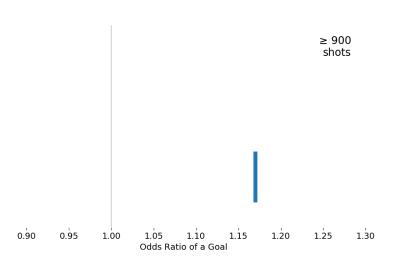
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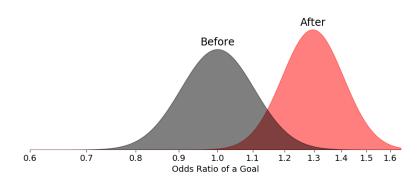
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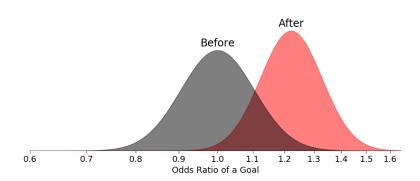
Strongest Recent Shooters

Player	Team	Impact on goal odds
Patrik Laine	WPG	+30%
Auston Matthews	TOR	+22%
Kyle Palmieri	N.J	+21%
Mikko Rantanen	COL	+21%
Nikita Kucherov	T.B	+20%

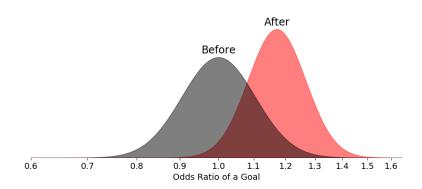
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Alexander Ovechkin

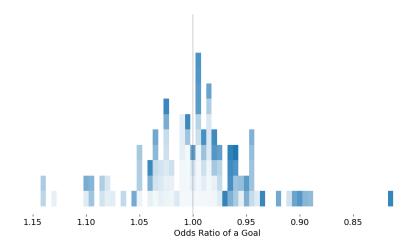


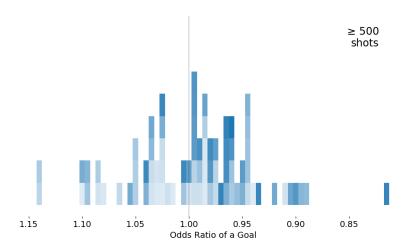
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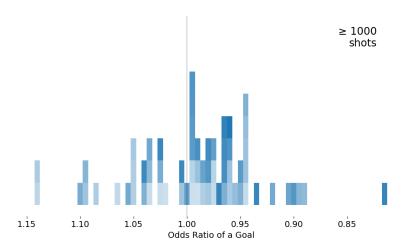
Player	Team	Impact on goal odds
Brent Burns	S.J	-14%
Duncan Keith	CHI	-13%
Troy Stecher	VAN	-11%
Erik Karlsson	OTT / S.J	-11%
Oskar Klefbom	EDM	-11%

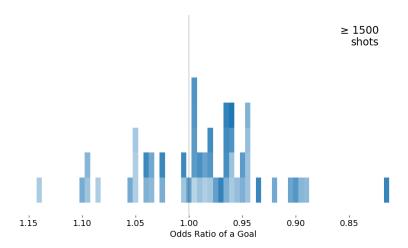
Weakest Recent Shooting Forwards

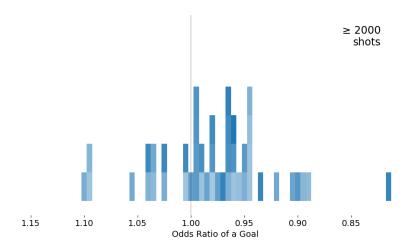
Player	Team	Impact on goal odds
Kevin Labanc	S.J	-10%
Dmitri Jaskin	STL / WSH	-9%
Brock McGinn	CAR	-8%
Mikko Koivu	MIN	-7%
Carl Hagelin	PIT / L.A	-7%

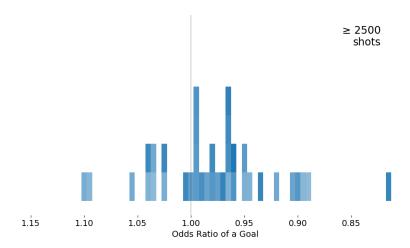


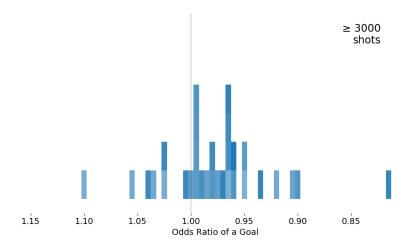


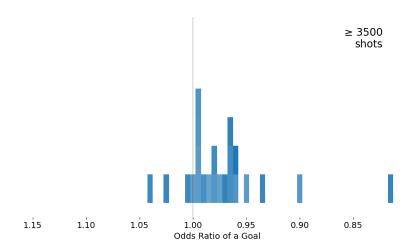


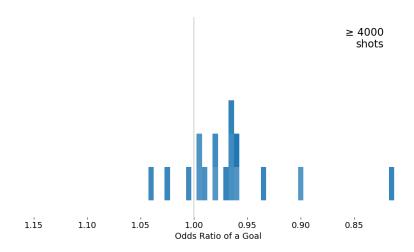


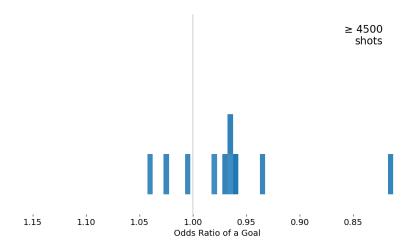


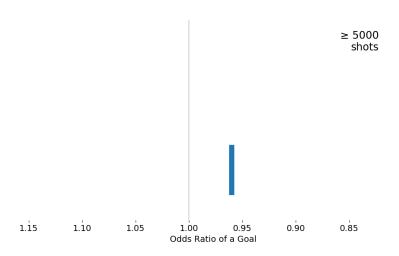










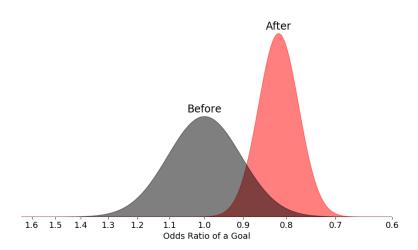


Strongest Recent Goaltenders

Player	Team	Impact on goal odds
John Gibson	ANA	-22%
Carter Hutton	STL / BUF	-12%
Antti Raanta	ARI	-12%
Jonathan Quick	L.A	-11%
Ben Bishop	DAL	-11%

Updated: hockeyviz.com/goalies

John Gibson



Quality of competition

Some players are facing better quality opposition systematically enough to be noticeable:

- ➤ Carter Hutton in 730 days up to Jan 30, 2019, faced nearly 2,000 shots with 1.3% higher odds of being goals purely because of shooter talent.
- ▶ Jacob Chychrun took 200 shots which had 2.9% lower odds of being goals purely because of the goalies he faced.

Weakest Recent Goaltenders

Player	Team	Impact on goal odds
Calvin Pickard	COL / TOR / PHI / ARI	+14%
Chad Johnson	CGY / BUF / STL / ANA	+14%
Jared Coreau	DET	+13%
Cam Ward	CAR / CHI	+10%
Maxime Lagace	VGK	+10%

Conclusions

- ▶ No version of individual save percentage has any value.
- ► Taking shot quality into account gives us a framework for measuring shooting and goalie ability.

Historical Work

All up, a great deal of light but little heat.

- Shot difficulty:
 - Kryzwicki, 2005
 - Similar ideas sketched by Ryder the previous year.
 - Schuckers, 2011 (updated 2016)
- Bayesian updating:
 - MacDonald, 2013
- Simultaneous treatment of shooters and goalies:
 - Ventura and Thomas, 2015

Future Work

- Screens
- ► Above-ice geometry
- Pre-shot movement
- Granularity of rush chances
- Aging
- Chaos

Thanks!

